

# **The Implementation of Monetary Policy: How Do Central Banks Set Interest Rates?**

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This lecture is based on my joint work with  
Kenneth N. Kuttner (Williams College).

See in particular our chapter in the *Handbook of  
Monetary Economics*, vol. 3 (Friedman and  
Woodford, eds.), 2011.

# Motivation for the discussion (1)

- A surprising vacuum in our understanding:
  - “Monetary policy” now mostly means setting a short-term interest rate...
  - ...but there is no good model of how central banks do that.
  - The traditional textbook model no longer corresponds to the reality of what central banks do.
  - Most professional-level analysis simply skips the subject altogether (the Taylor Rule literature, the literature based on the Clarida-Gali-Gertler model, etc.).
  - So do most graduate textbooks (e.g., Woodford, Romer).

# Motivation for the discussion (2)

- Also, some important current policy issues:
  - Response to the crisis: huge increase in the size of central bank balance sheets. Was this action effective?
  - The “exit strategy” question: common presumption that the central bank needs to "unwind" these positions before it raises interest rates.
  - Does the central bank really have to do that?
  - Or can it go ahead and raise interest rates without having to sell off the securities it bought?
  - More fundamentally: what is the relationship between quantity and price (the interest rate) in the reserves market?

# Motivation for the discussion (3)

- And a fundamental issue of monetary theory:
  - Does the quantity of central bank liabilities matter, including for inflation?
  - If so, will the large increases in many central banks' balance sheets prove inflationary?
  - If not, what's left of the classical quantity theory?

# Outline for today's lecture

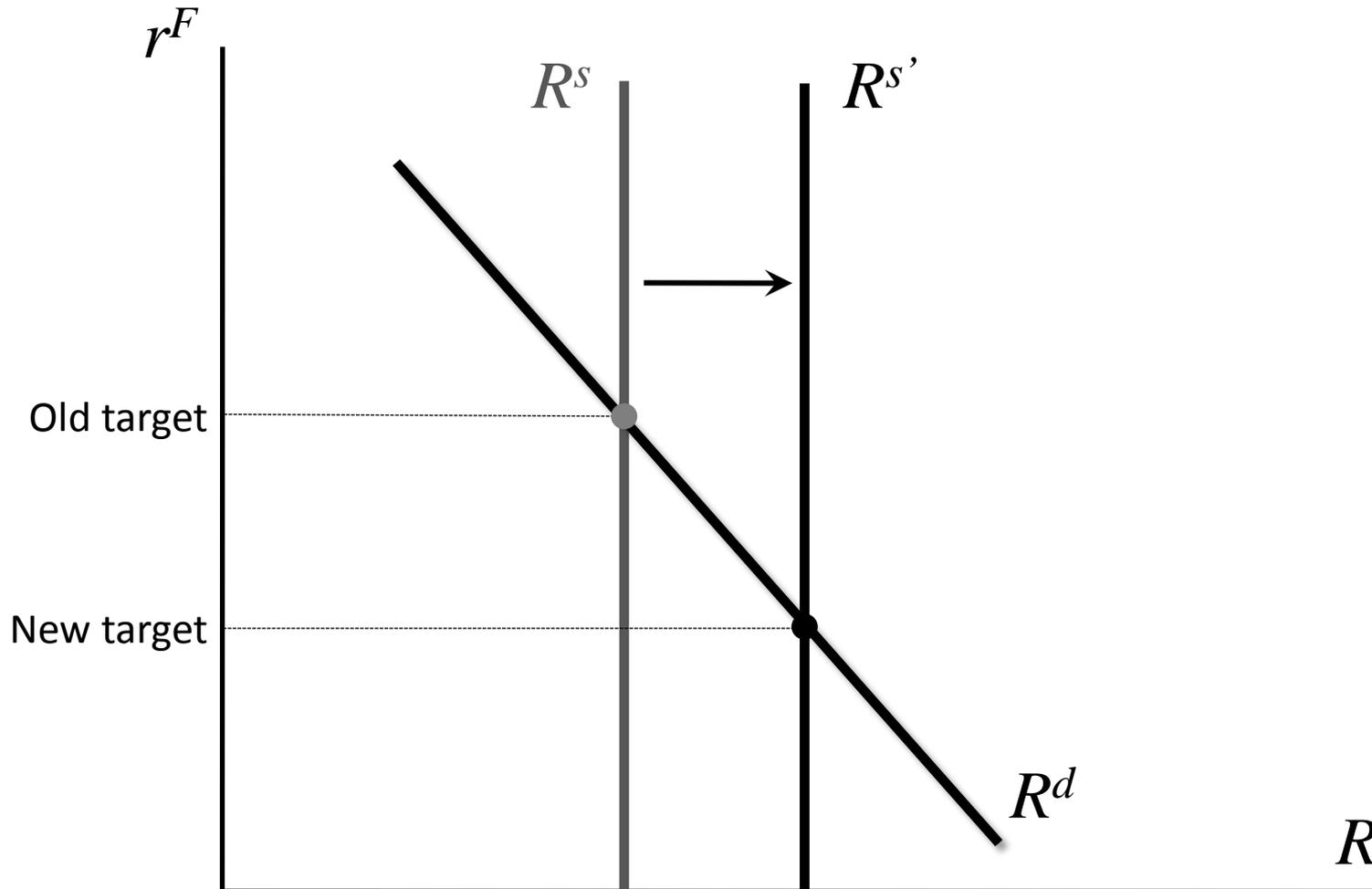
1. The traditional understanding of how central banks set interest rates.
2. This understanding has become obsolete.
3. A different model of how central banks set interest rates today.
4. Evidence supporting this alternative model.
  - the U.S.
  - Japan
  - the Euro-area

5. Implications for the “exit strategy” question.
6. Assessment of the effectiveness of central bank securities purchases (“quantitative easing”) during the crisis.
7. Some broader implications for monetary economics.

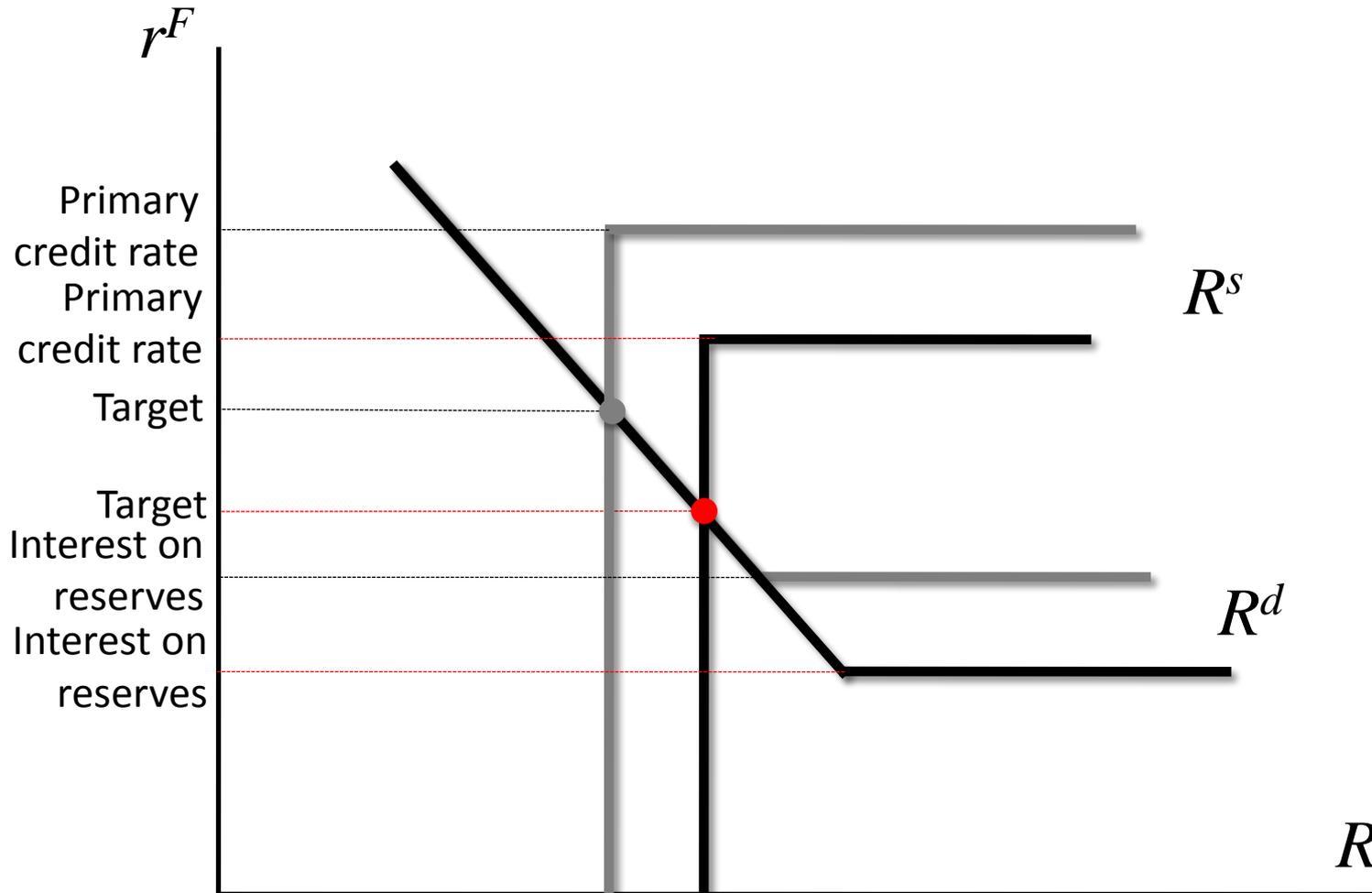
# The traditional view of how central banks set interest rates

- When the central bank wants to move the overnight interest rate, it changes the quantity of reserves ( $R$ ).
- Banks' demand for reserves is interest elastic.
- The change in  $R$  therefore induces a change in the interest rate (the “liquidity effect”).

# The traditional view



# With borrowing & interest on reserves



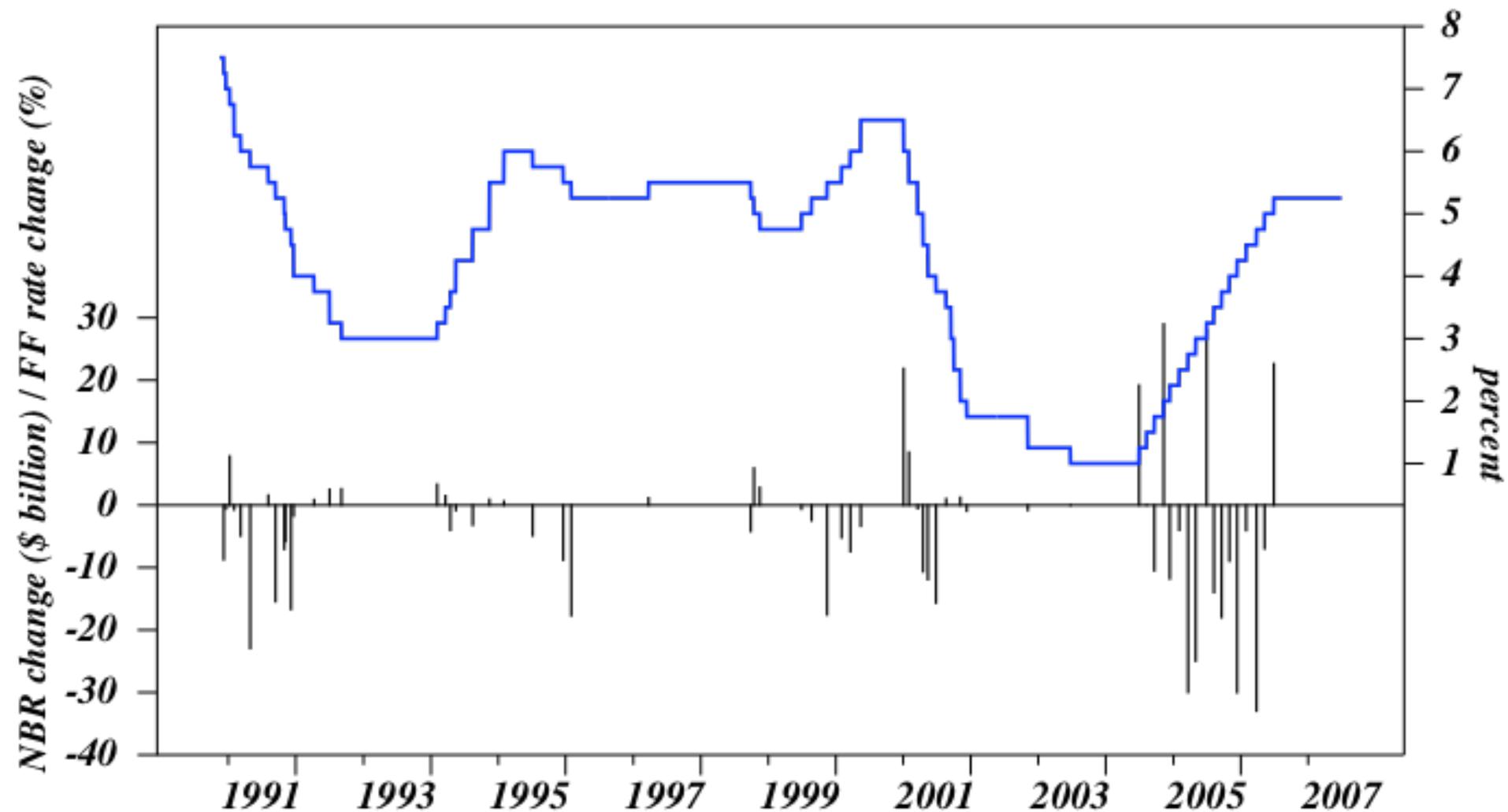
# Evidence for a liquidity effect

- Quarterly or monthly monetary VARs:
  - Christiano & Eichenbaum (1992 and sequels)
  - Strongin (1995)
  - Bernanke & Mihov (1998)
- High frequency (daily) regressions:
  - Hamilton (1996 and sequels)
  - Carpenter & Demiralp (2006a & 2006b)

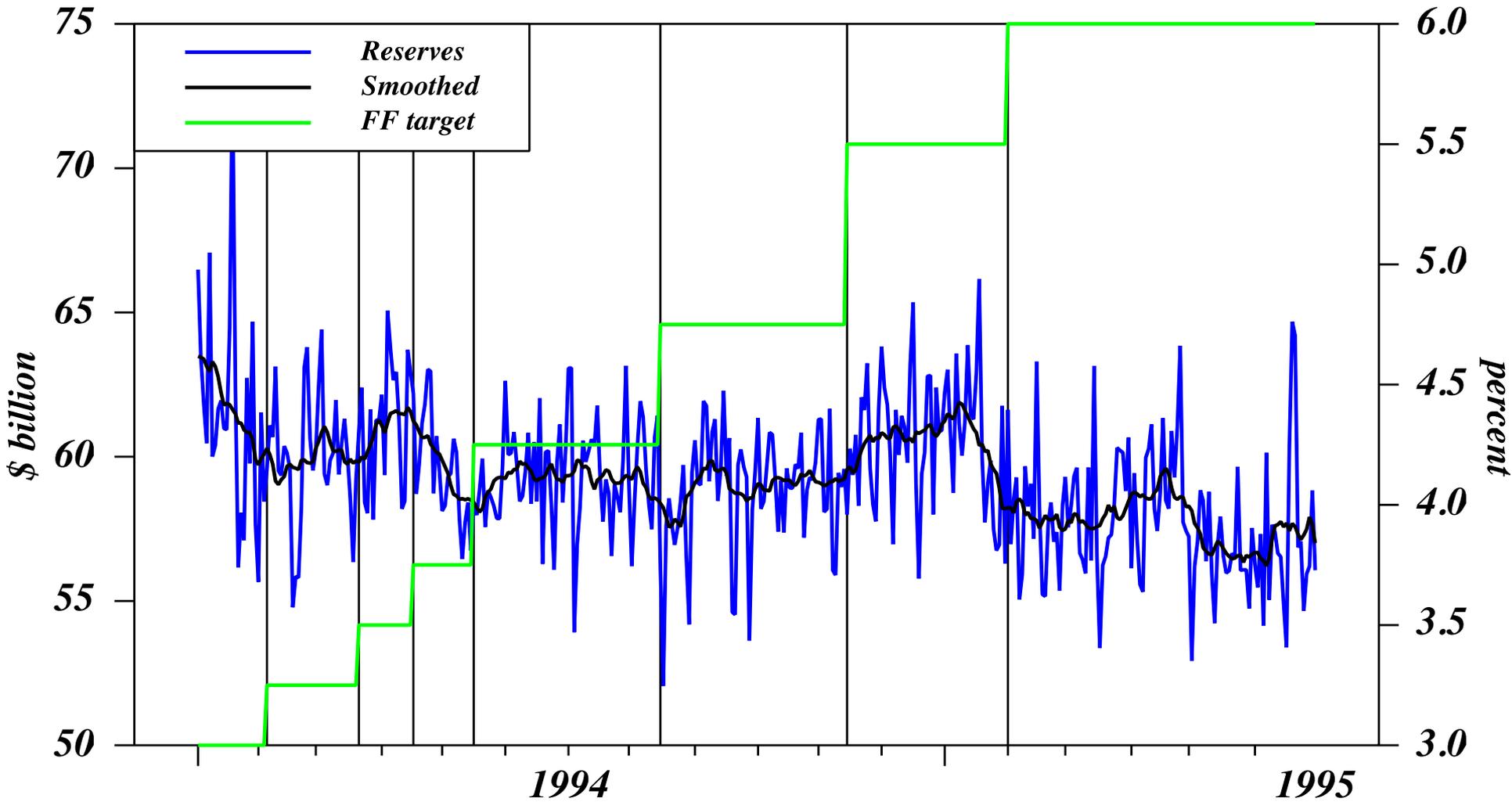
# The vanishing liquidity effect

- Hamilton (1997): 23 b.p./\$billion
- Hamilton (1998): 7 b.p./\$billion
- Carpenter & Demiralp (2006b): 3.5 b.p./\$billion
- Hence implausibly *large* changes in reserves should be required to move the funds rate.
- Contradiction: in fact most changes in  $R$  are very *small*.
- Indeed, many changes in  $r$  are not systematically associated with discernable changes in  $R$  at all.

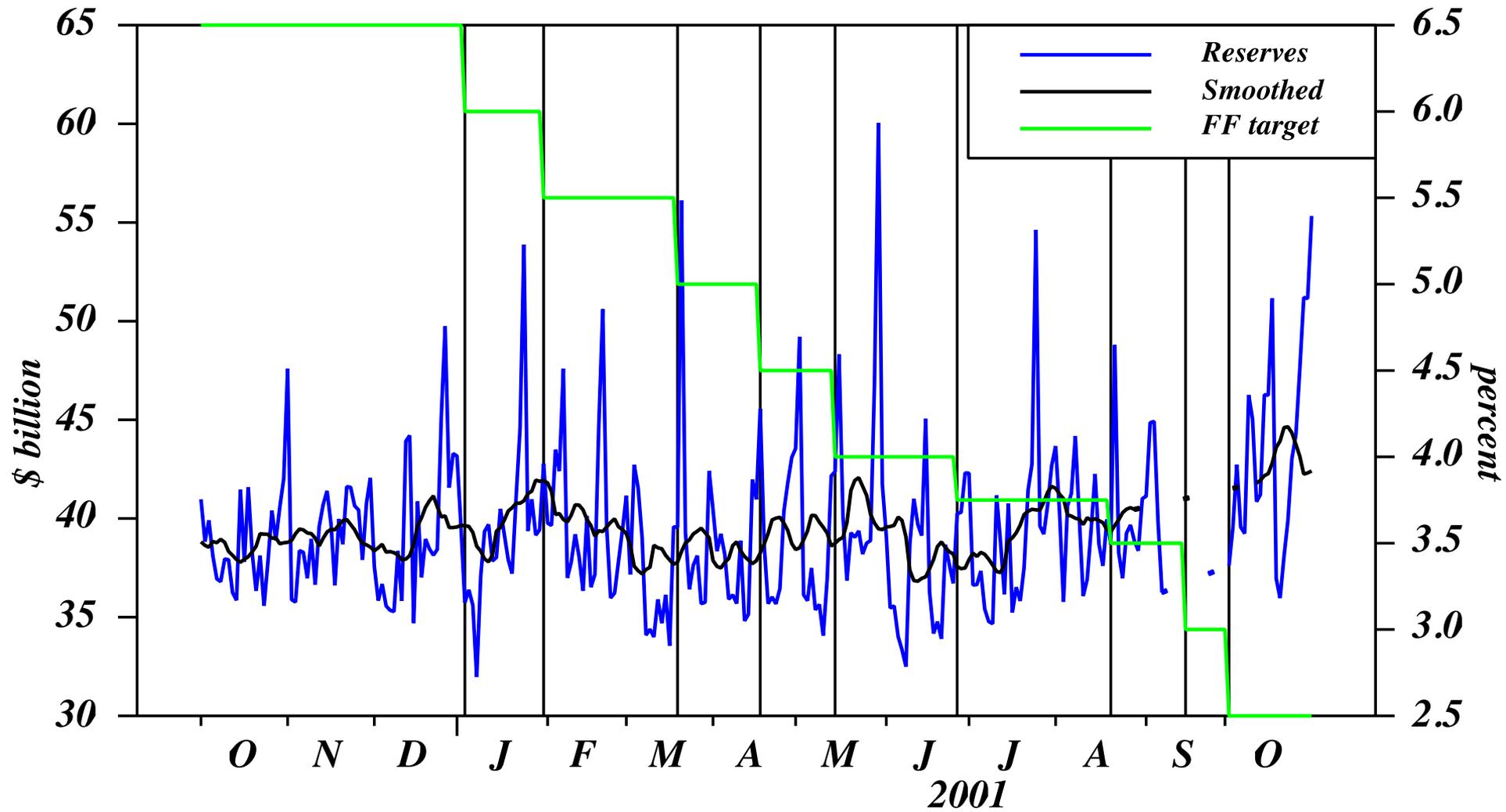
# Scaled reserve changes and the U.S. FF rate



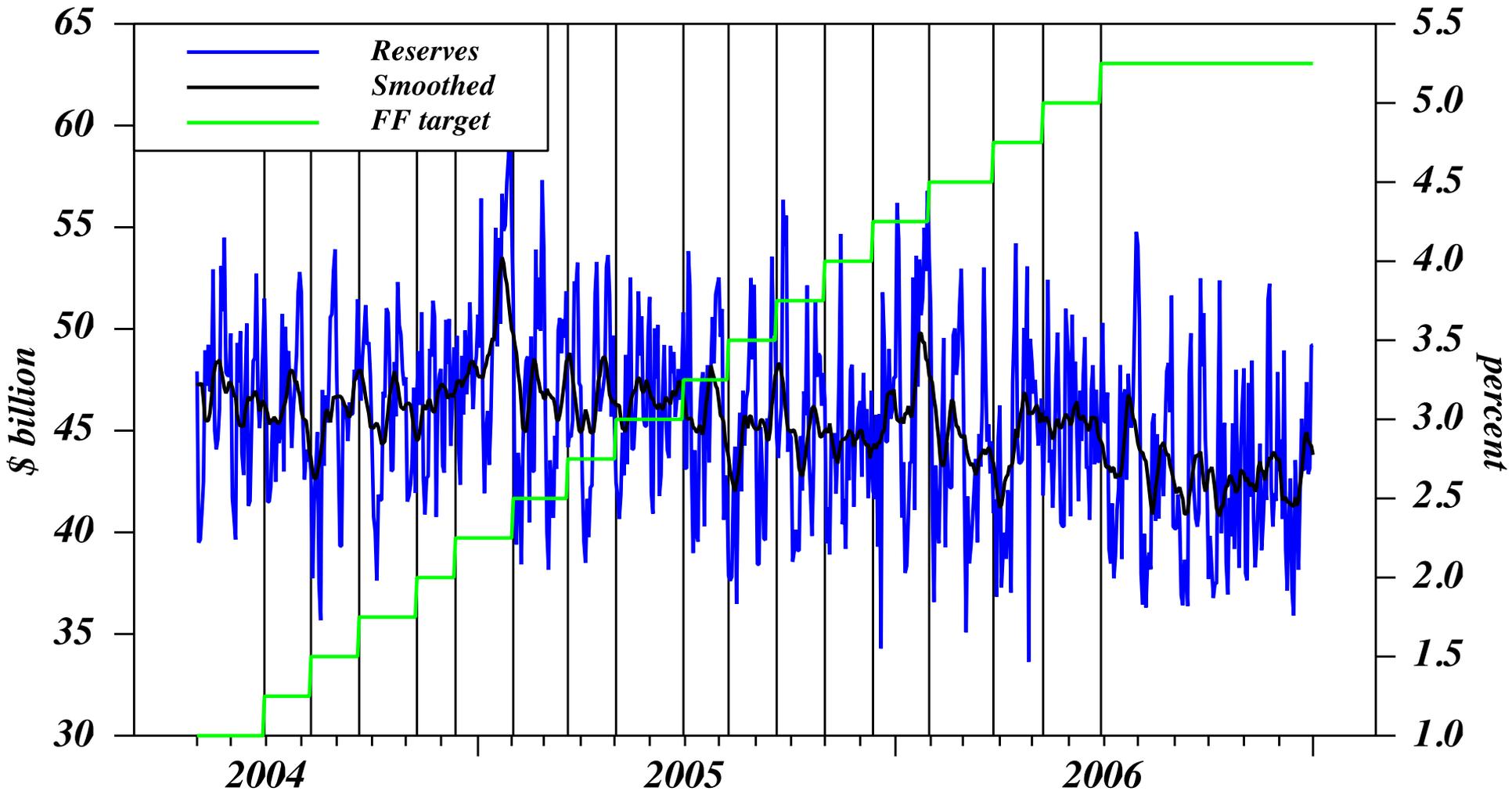
# Reserves and the funds rate in 1994-95



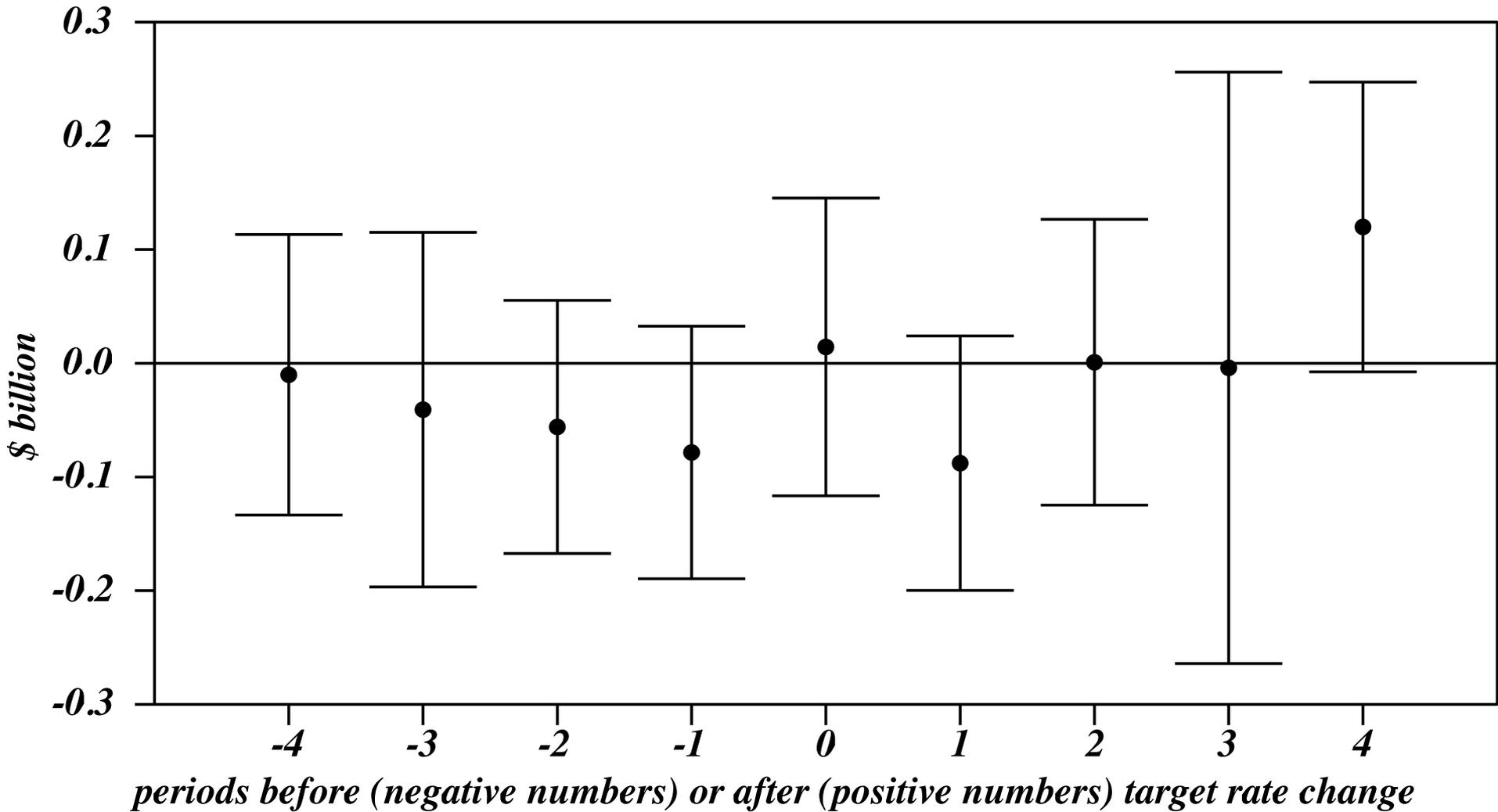
# Reserves and the funds rate in 2000-01



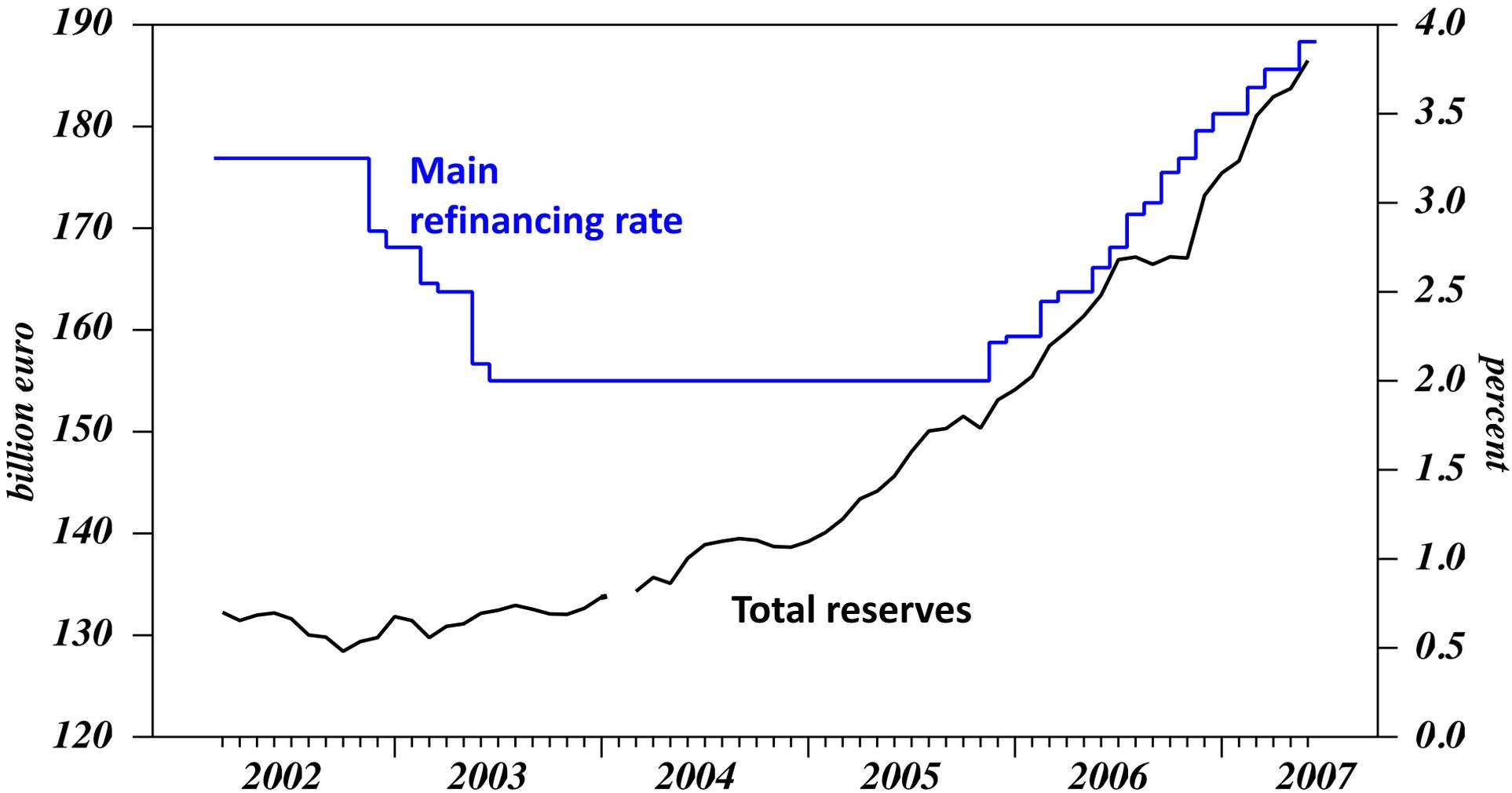
# Reserves and the funds rate in 2004-06



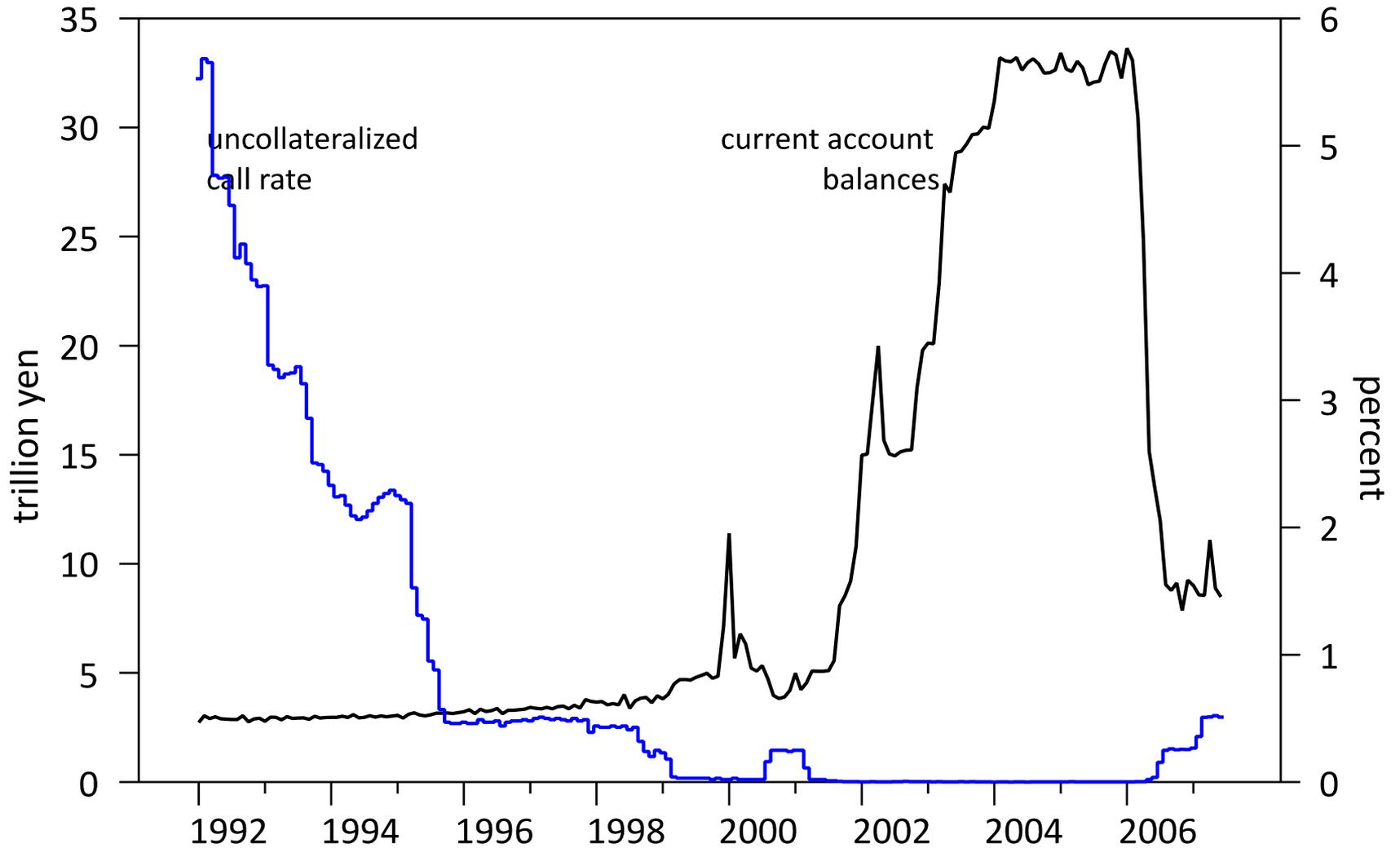
# Reserves and target rate changes in the US



# Euro area reserves and the interest rate



# Reserves and the interest rate in Japan



Hence the question:

**How *do* central banks set interest rates?**

# A new model of policy implementation

- Banks' reserve demand is very highly *inelastic* at low (biweekly or longer) frequencies.
  - This explains why changes in  $r$  are not associated with discernable changes in  $R$  over time.
- But: banks' reserve demand is very *elastic* at higher (daily) frequencies.
  - This explains why the measured daily liquidity effect is so small.
- Needed: a model to reconcile these two empirically based features.

# Two key features of the reserves market

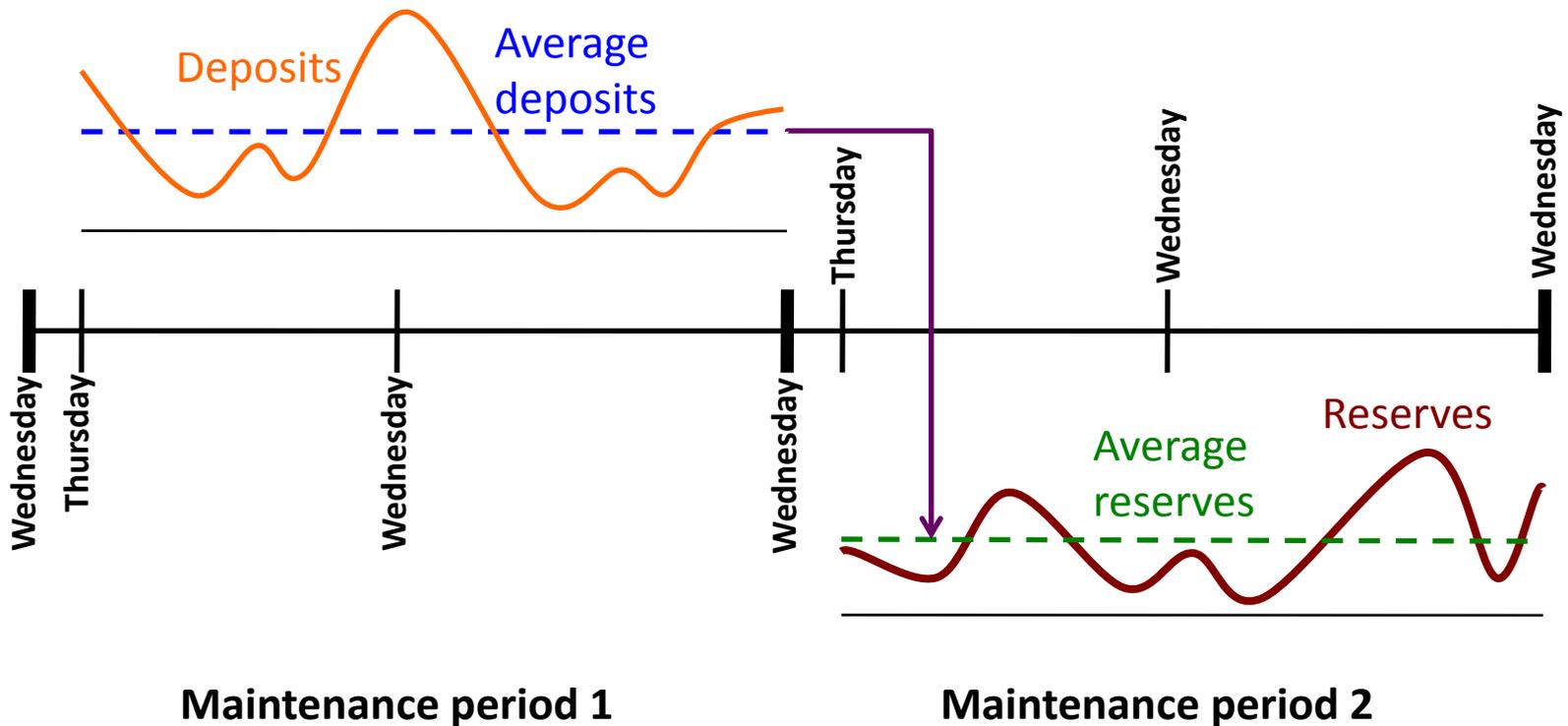
- Banks' reserve balances are calculated as the average over a *maintenance period*.
  - Two weeks in the U.S.
  - One month in Japan and the Euro-area
- This period's required reserves are based on banks' average deposits in the *previous* period.
  - Full-period lag in the U.S. and the Euro-area
  - Half-period lag in Japan

# Policy implementation by three central banks

|                               | <b>Fed</b>   | <b>ECB</b>                             | <b>BOJ</b>                     |
|-------------------------------|--|--|--------------------------------|
| <b>Reserve requirements</b>   | 0 to 10%   | 2% on short- term,<br>10% on long term | 0.05 to 1.3%                   |
| <b>Maintenance period</b>     | Two weeks  | One month                              | One month                      |
| <b>Reserve accounting</b>     | Lagged two weeks                                     | Lagged one month                       | Lagged two weeks               |
| <b>Standing facilities</b>    | Lending, 1/2003;<br>Interest on<br>reserves, 10/2008 | Both lending and<br>deposit            | Lending, 2001<br>Deposit, 2008 |
| <b>Open market operations</b> | Daily  | Weekly                                 | Daily                          |

# Reserve accounting in the US

Average reserves in period 2  $\geq$   
(required reserve ratio)  $\times$   
(average deposits in period 1)



# Some facts about the U.S. reserves market

- Banks' reserve balances are calculated as the average over a two-week *maintenance period*.
- This period's required reserves are based on banks' deposits in the *previous* two weeks.
- Banks' "discount window" borrowing since the mid-1980s (until the financial crisis) has been negligible.
- Banks' holdings of excess reserves are normally small ( $\leq 3\%$  of total).
- At the biweekly (or lower) frequency, reserve demand is therefore likely to be interest *inelastic*.

# Evidence of reserve demand (in)elasticity

(from Table 1 in Friedman-Kuttner *Handbook* chapter)

|                               | 1990-2007 | 1990-1994 | 1994-2007 |
|-------------------------------|-----------|-----------|-----------|
| Funds rate ( $t$ )            | -0.083    | -0.376    | 0.011     |
| Funds rate ( $t-1$ )          | 0.077     | 0.394     | -0.018    |
| Reserves ( $t-1$ )            | 0.81***   | 0.68***   | 0.86***   |
| Reserves ( $t-2$ )            | -0.16***  | -0.10     | -0.19***  |
| $\Sigma$ of funds rate coeffs | -0.006    | 0.017     | -0.007    |
| Joint significance            | 0.13      | 0.25      | 0.40      |

Notes: Dependent variable = log of excess reserves. Biweekly data. Robust standard errors. Coefficients on constant and trend are not reported.

# Results for the Euro-area

**Table 2** Estimates of Excess Reserve Demand for the Euro Area

|                           | June 1999–June 2007 |                     | March 2002–June 2007 |                     |
|---------------------------|---------------------|---------------------|----------------------|---------------------|
|                           | Reserves            | Deposits + reserves | Reserves             | Deposits + reserves |
| Intercept                 | −0.23***<br>(0.07)  | −0.17**<br>(0.07)   | −0.30***<br>(0.09)   | −0.29**<br>(0.13)   |
| Main refinancing rate     | −0.003<br>(0.018)   | 0.054**<br>(0.024)  | 0.035<br>(0.032)     | 0.072<br>(0.055)    |
| Reserves, lagged 1 period | 0.32***<br>(0.13)   | 0.42***<br>(0.09)   | 0.39***<br>(0.09)    | 0.05<br>(0.11)      |
| January 2002 dummy        | 0.77***<br>(0.05)   | 0.54***<br>(0.07)   |                      |                     |
| February 2002 dummy       | −0.012<br>(0.11)    | −0.45***<br>(0.08)  |                      |                     |
| Number of observations    | 95                  | 95                  | 62                   | 62                  |
| R-squared                 | 0.334               | 0.327               | 0.195                | 0.067               |

# Results for Japan

**Table 3** Estimates of Excess Reserve Demand for Japan

| Regressor                                     | Sample                   |                             |                            |                    |
|---|--------------------------|-----------------------------|----------------------------|--------------------|
|   | Jan<br>1992–<br>Feb 1999 | March<br>1992–<br>June 2007 | January 1992–<br>June 2007 |                    |
| Intercept                                     | −1.81***<br>(0.41)       | −1.03**<br>(0.43)           | −1.19***<br>(0.41)         | −1.71***<br>(0.42) |
| Log of call rate                              | −0.36***<br>(0.09)       | −0.29***<br>(0.11)          | −0.29***<br>(0.10)         | −0.34***<br>(0.09) |
| Lagged excess reserves                        | 0.63***<br>(0.08)        | 0.67***<br>(0.12)           | 0.74***<br>(0.08)          | 0.65***<br>(0.08)  |
| Dummy for zero interest rate policy<br>(ZIRP) |                          |                             |                            | 0.83***<br>(0.32)  |
| Dummy for quantitative easing policy<br>(QEP) |                          |                             |                            | 0.65**<br>(0.28)   |
| ZIRP dummy × log of call rate                 |                          |                             |                            | 0.17*<br>(0.09)    |
| Number of observations                        | 86                       | 97                          | 183                        | 183                |
| R-squared                                     | 0.710                    | 0.909                       | 0.965                      | 0.968              |

# **A simple model of banks' reserve demand within the maintenance period**

# Begin from a 3-asset model of banks' reserve demand, given total liquidity

$$\begin{pmatrix} R \\ F \\ T \end{pmatrix}_t^d = L[\alpha + \mathbf{B}r] = L \left[ \begin{pmatrix} \alpha^R \\ \alpha^F \\ \alpha^T \end{pmatrix} + \begin{pmatrix} \beta^{RR} & -\beta^{RF} & -\beta^{RT} \\ -\beta^{FR} & \beta^{FF} & -\beta^{FT} \\ -\beta^{TR} & -\beta^{TF} & \beta^{TT} \end{pmatrix} \begin{pmatrix} r^R \\ r^F \\ r^T \end{pmatrix}_t + \begin{pmatrix} e_t^R \\ e_t^F \\ e_t^T \end{pmatrix} \right]$$

- Derived assuming fixed bank liquidity positions ( $L$ ), CRRA objective function, normally distributed asset returns.
- $\beta$ s are functions of the CRRA parameter and asset return covariances.

# A simple model of banks' reserve demand within the maintenance period

$$R_t^d = \alpha^R - \beta^{RF} r_t^F - \beta^{RT} r_t^T - \gamma(r_t^F - E_t r_{t+1}^F) + e_t^R$$

- Here demand also responds to *the difference* between today's rate and the expected future rate

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- Here demand also responds to *the difference* between today's rate and the expected future rate
- If the relevant margin is between reserves and fed funds, then  $\beta^{RT} = 0$  and

$$R_t^d = \alpha^R - \beta^{RF} r_t^F - \gamma(r_t^F - E_t r_{t+1}^F) + e_t^R$$

# **A model of the Fed's reserve supply**

# A model of the Fed's reserve supply

$$R_t^s = R^* + \lambda\gamma(E_t r_{t+1}^F - \bar{r}_t^F) + u_t^R$$

- The Fed's Open Market Desk reacts to *expected* deviations of the funds rate from its target.
- $\lambda$  parameterizes the Desk's response:  $\lambda = 1 \Rightarrow$  deviations are fully offset.

# The market-clearing rate

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$$r_t^F = \frac{\beta^{RF} + \lambda\gamma}{\beta^{RF} + \gamma} \bar{r}^F + \frac{(1-\lambda)\gamma}{\beta^{RF} + \gamma} E_t r_{t+1}^F + \frac{1}{\beta^{RF} + \gamma} (e_t^R - u_t^R)$$

- “Anticipation effect”: The market-clearing interest rate is a convex combination of the target rate and the expected rate.

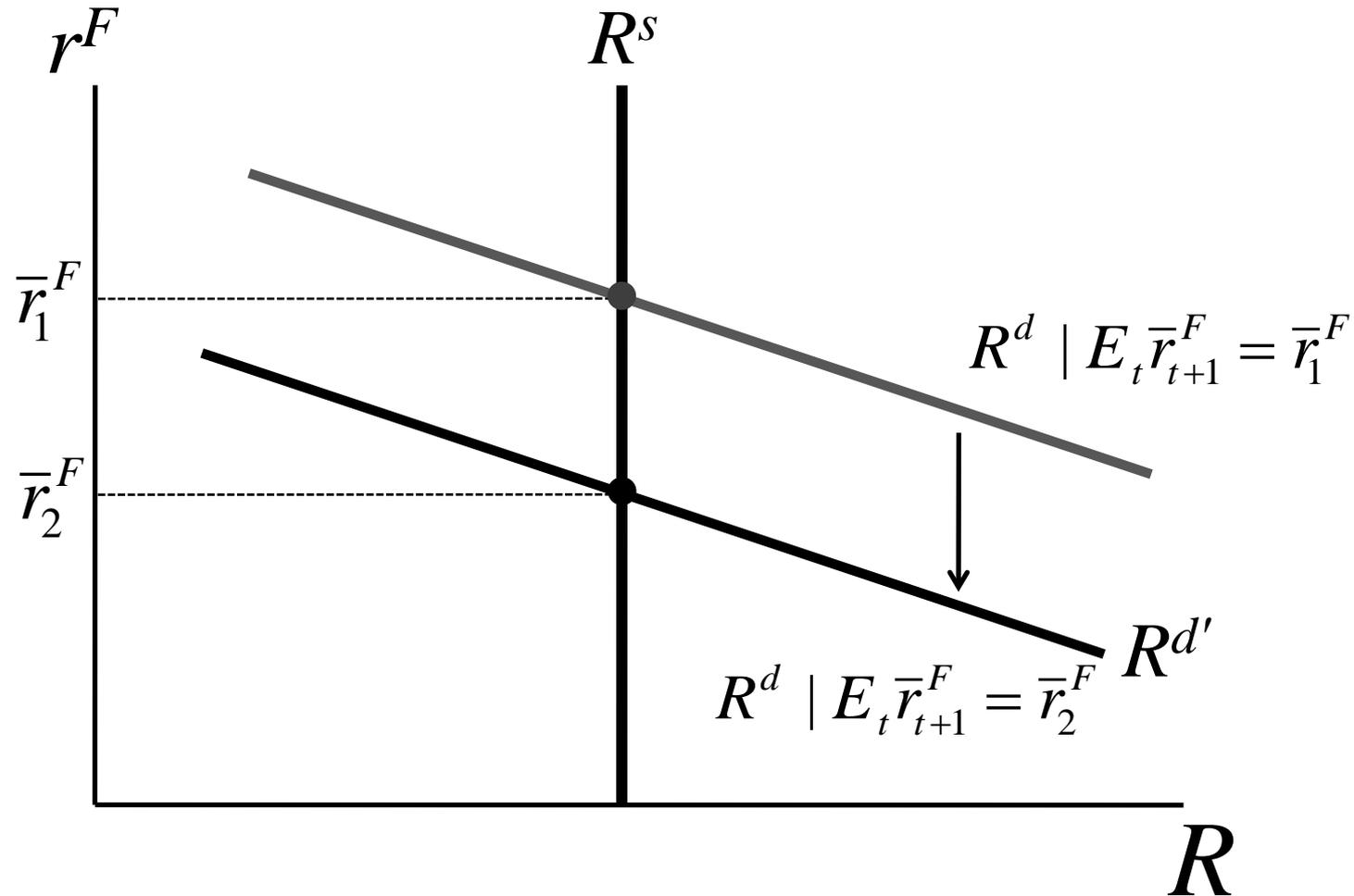
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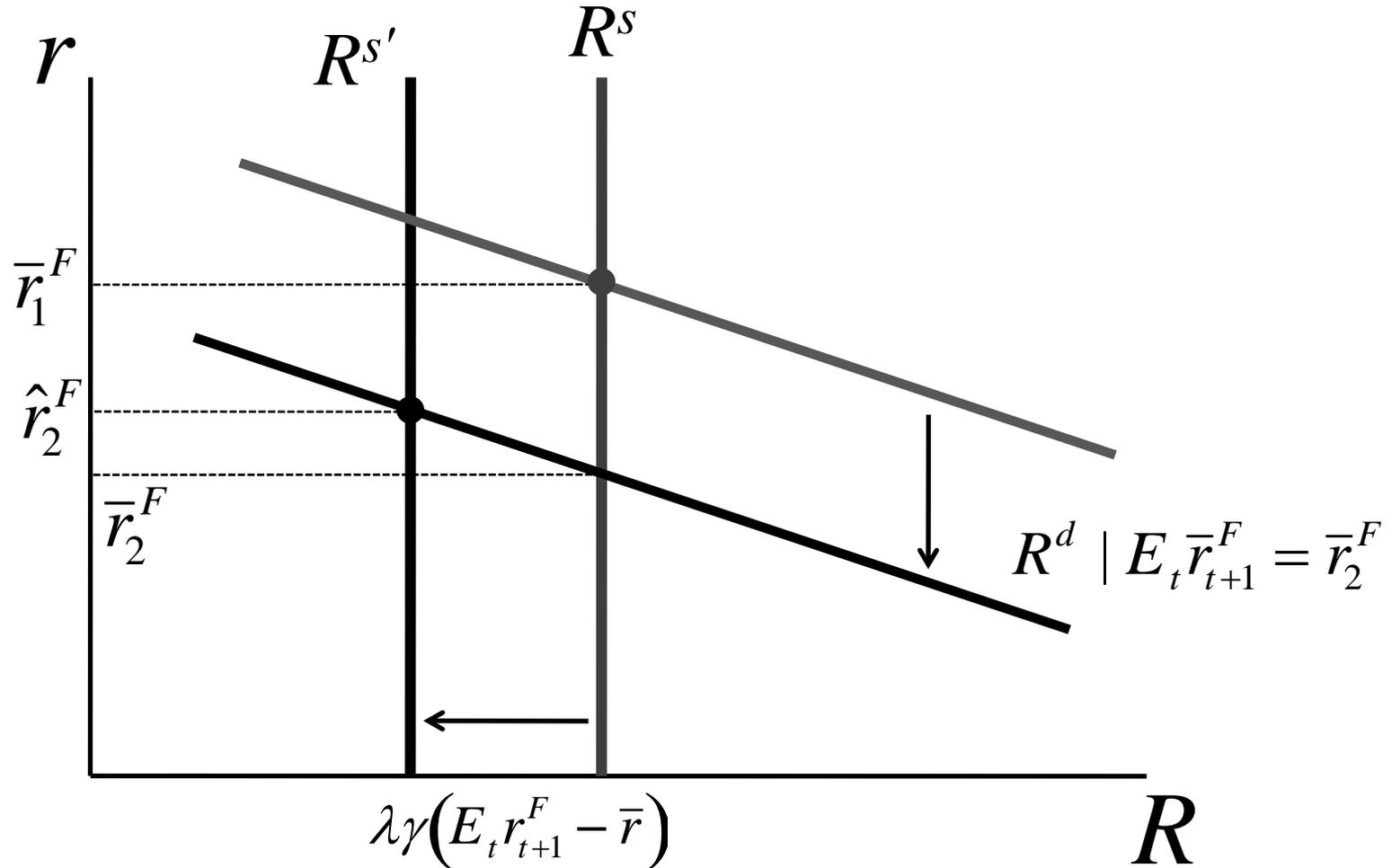
- “Anticipation effect”: The market-clearing interest rate is a convex combination of the target rate and the expected rate.
- “Announcement effect”: If  $\beta^{RF} = 0$ , then

$$E_{t+1} r_{t+1}^F = \bar{r}^F \Rightarrow r_t^F = \bar{r}^F$$

# A credible, announced rate cut



# Demand *and* supply reactions to an expected *future* rate cut



# Important implications

- If the interest elasticity of reserve demand is zero, *expectations alone* will move the funds rate: the “announcement effect.”
- Expected *future* rate changes within the maintenance period will affect *today's* funds rate, if  $\lambda < 1$ : the “anticipation effect.”

# Does the evidence support this model?

- Estimate daily reserve demand and supply regressions in order to:
  - Confirm the small size of the liquidity effect
  - Determine whether reserve demand depends on the *level* of the funds rate...
  - ...as opposed to the *expected change* in the funds rate.
  - Assess the Fed's supply response to deviations of the funds rate from its target.

# Estimating daily reserve demand

- Invert the demand equation to express the market-to-target funds rate *spread* as a function of the level of reserves.
  - Problem: many reserve demand shocks are foreseen by the Fed, which adjusts reserves accordingly.
  - Solution: following Hamilton, use the reserves “miss” as an instrument for  $R$ .
  - The “miss” is a good instrument for  $R$ , regardless of whether a liquidity effect exists.
- Include other control variables and lags.

# The resulting (daily) reserve demand regression

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$$r_t^F - \bar{r}_t^F = \theta_1^d \bar{r}_t^F + \theta_2^d R_t + \theta_3^d R_{t-1}^X + \sum \varphi_j^d d_{jt} \Delta^e \bar{r}_t^F +$$

lagged  $(r^F - \bar{r}^F)$  terms and calendar effects

where  $\theta_1^d = \gamma^{-1} \beta^{RF}$  and  $\theta_2^d = \gamma^{-1}$

- Reserve data are from the Fed, expected funds rates are calculated from futures data.
- Daily data, 1/26/1994 to 7/2/2007: 3468 daily observations (excluding Y2K & 9/11).

# Daily reserve demand results

(from Table 5 in Friedman-Kuttner *Handbook* chapter)

## Estimated response of the effective-to-target funds rate spread to:

*The expected funds rate change on*

Day 1 of maintenance period                      **0.31<sup>\*\*\*</sup>**

Day 2 of maintenance period                      **0.30<sup>\*\*\*</sup>**

Day 3 of maintenance period                      **0.14<sup>\*\*\*</sup>**

Day 4 of maintenance period                      **0.13<sup>\*\*\*</sup>**

Days 5+    **≈ 0**

Day *t* excess reserves                                      **-0.92<sup>\*\*\*</sup>**

Cumulative excess reserves                              **-0.59<sup>\*\*\*</sup>**

Target federal funds rate                              **0.004**

Notes: daily data, 1/26/1994 to 7/2/2007, weighted 2SLS with the reserves “miss” as the instrument for excess reserves. Coefficients on calendar effects, lagged dependent variable, and no-FOMC-meeting expected changes are not reported.

# Daily reserve *supply* regressions

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- Start with the reserve supply equation.
- Include other control variables and lags.
- Use “intended” supply: the actual level of reserves minus the ex-post-observable supply “miss.”

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$$\tilde{R}_t^s = \theta_1^s R_{t-1}^X + \theta_2^s \Delta \bar{r}_t^F + \theta_3^s \Delta_p \bar{r}_t^F + \theta_4^s \bar{r}_t^F + \varphi^s (E_{t-1} r_t^F - \bar{r}_t^F) +$$

lagged  $\tilde{R}^s$  terms and calendar effects

where  $\varphi^s = \lambda\gamma$

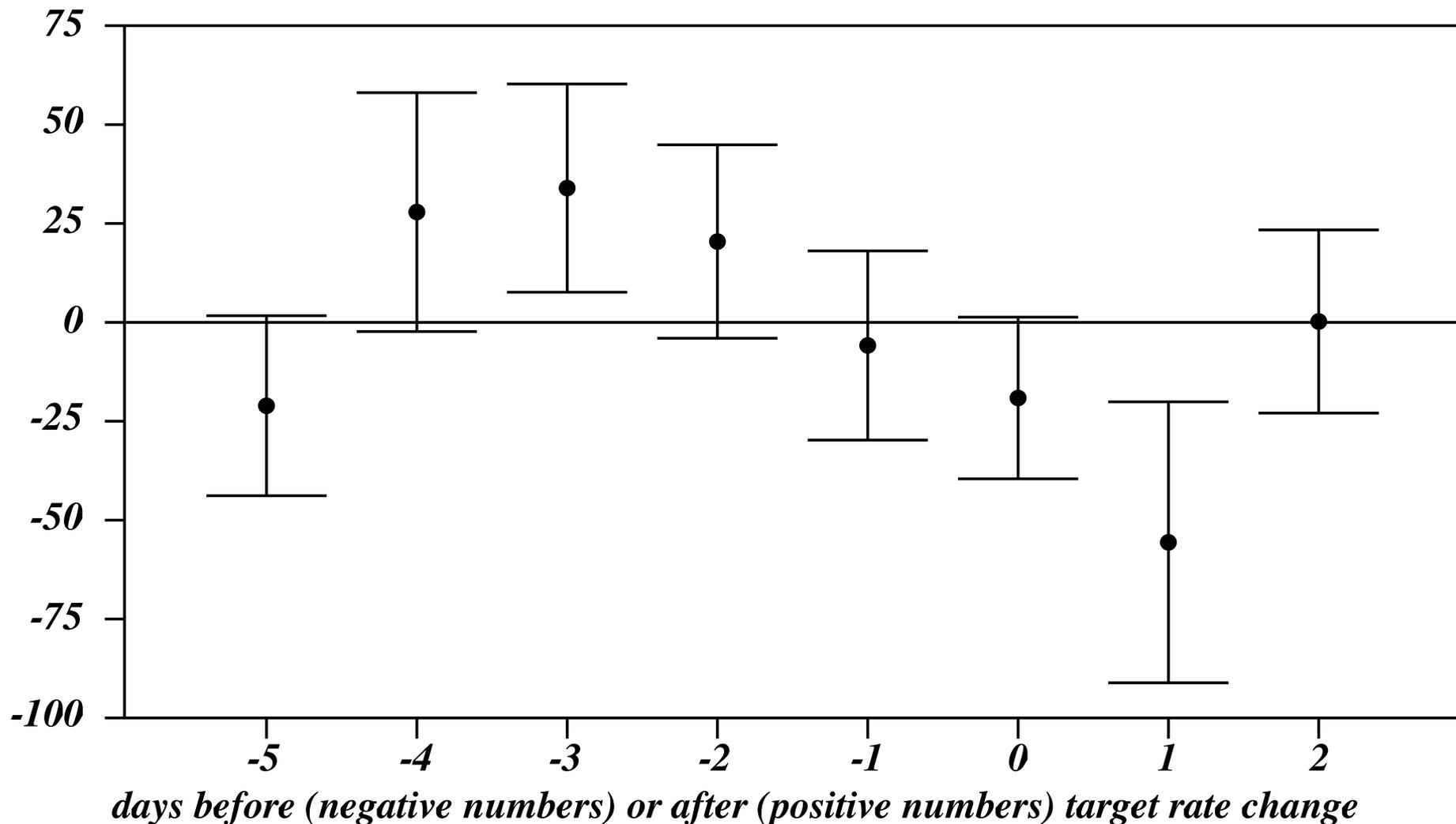
# Daily reserve supply results

(from Table 6 in Friedman-Kuttner *Handbook* chapter)

| Estimated response of excess reserves to:    |                             |
|--|-----------------------------|
| Cumulative excess reserves                   | <b>-0.382<sup>***</sup></b> |
| Target federal funds rate                    | <b>-0.021</b>               |
| Change in the target federal funds rate      | <b>0.004</b>                |
| Funds rate change on preceding days of MP    | <b>-0.016<sup>***</sup></b> |
| Expected deviation of funds rate from target | <b>0.049<sup>***</sup></b>  |

Notes: daily data, 1/26/1994 to 7/2/2007, weighted 2SLS with instruments for the target rate change and the expected deviation constructed from fed funds futures data. Coefficients on calendar effects and lagged dependent variables are not reported.

# *Within* the maintenance period, reserves *rise* in anticipation of rate hikes

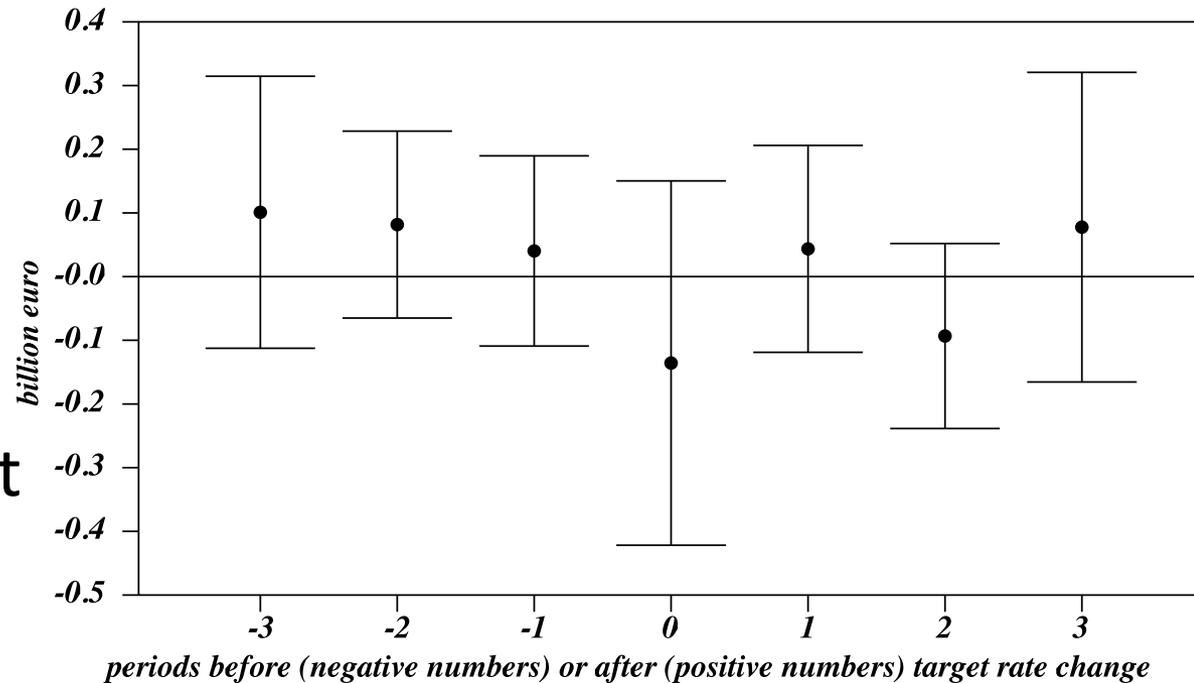


# Summary of results for estimation of U.S. reserve demand and reserve supply

- The daily “liquidity effect” is indeed very small.
- Reserve demand does *not* depend on the *level* of the funds rate.
- Reserve demand *is* highly sensitive to *expected changes* in the rate.
- Changes in  $r$  are *not* systematically associated with discernable changes in  $R$ .
- The Fed partially offsets deviations from the target by varying reserve supply.

# Does the “new view” apply to the ECB?

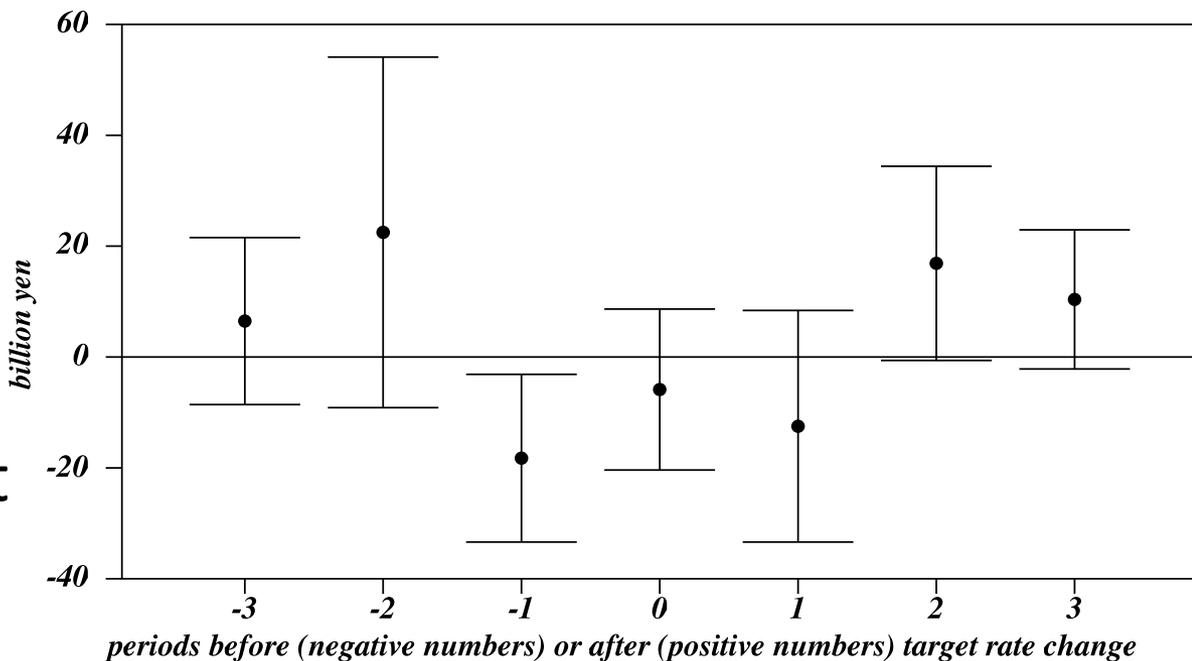
- **Yes.**
- No reserve movements accompany target rate changes.



- Recall: reserve demand is inelastic.
- Borrowing/lending “corridor” helps stabilize EONIA rate around target, despite infrequent open market operations.

# Does the “new view” apply to the BOJ?

- **Partially.**
- *Small* reserve movements accompany target rate changes.

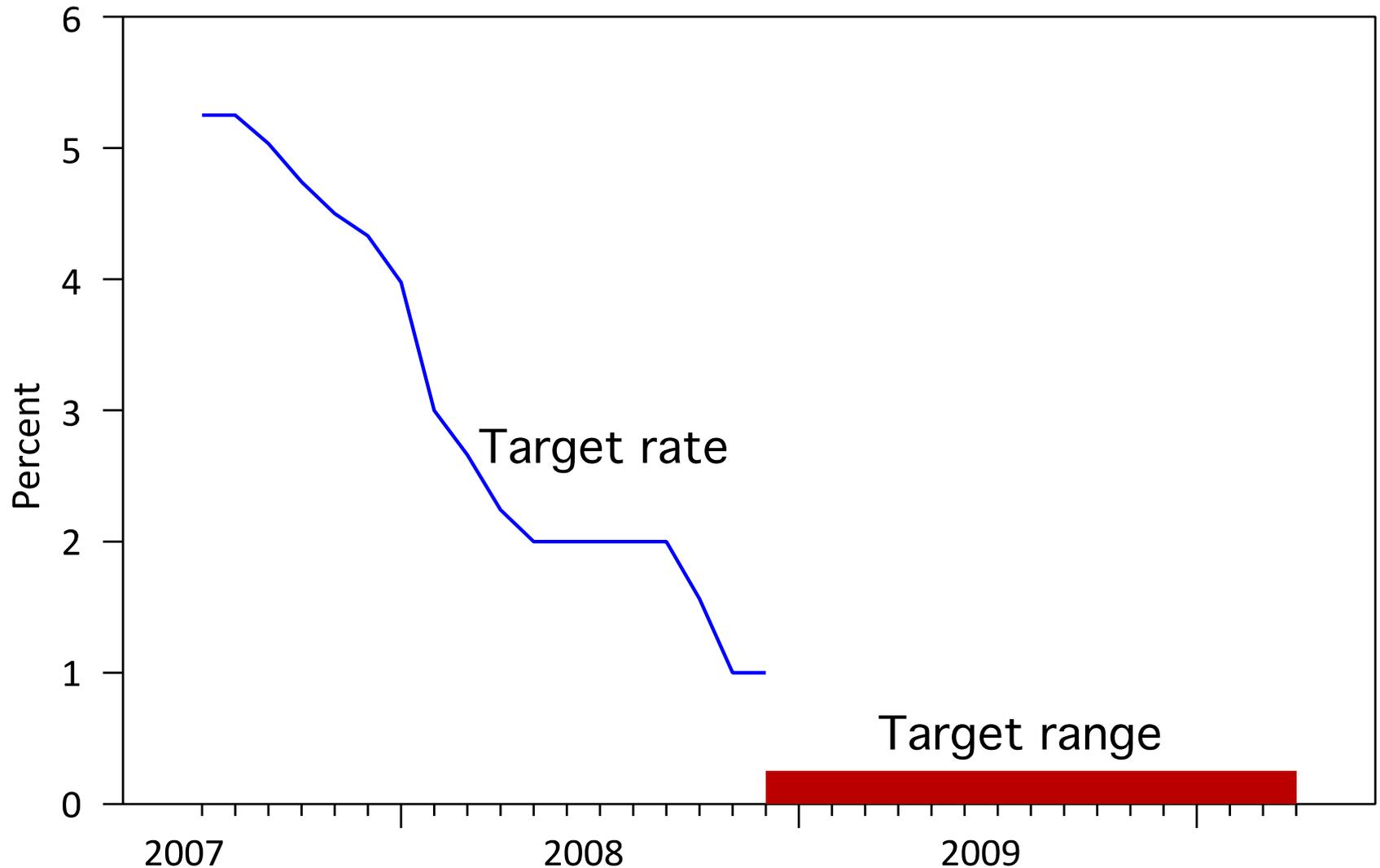


- Recall: there *is* some evidence of a nonzero interest elasticity of reserve demand in Japan — especially as the overnight rate approached zero.

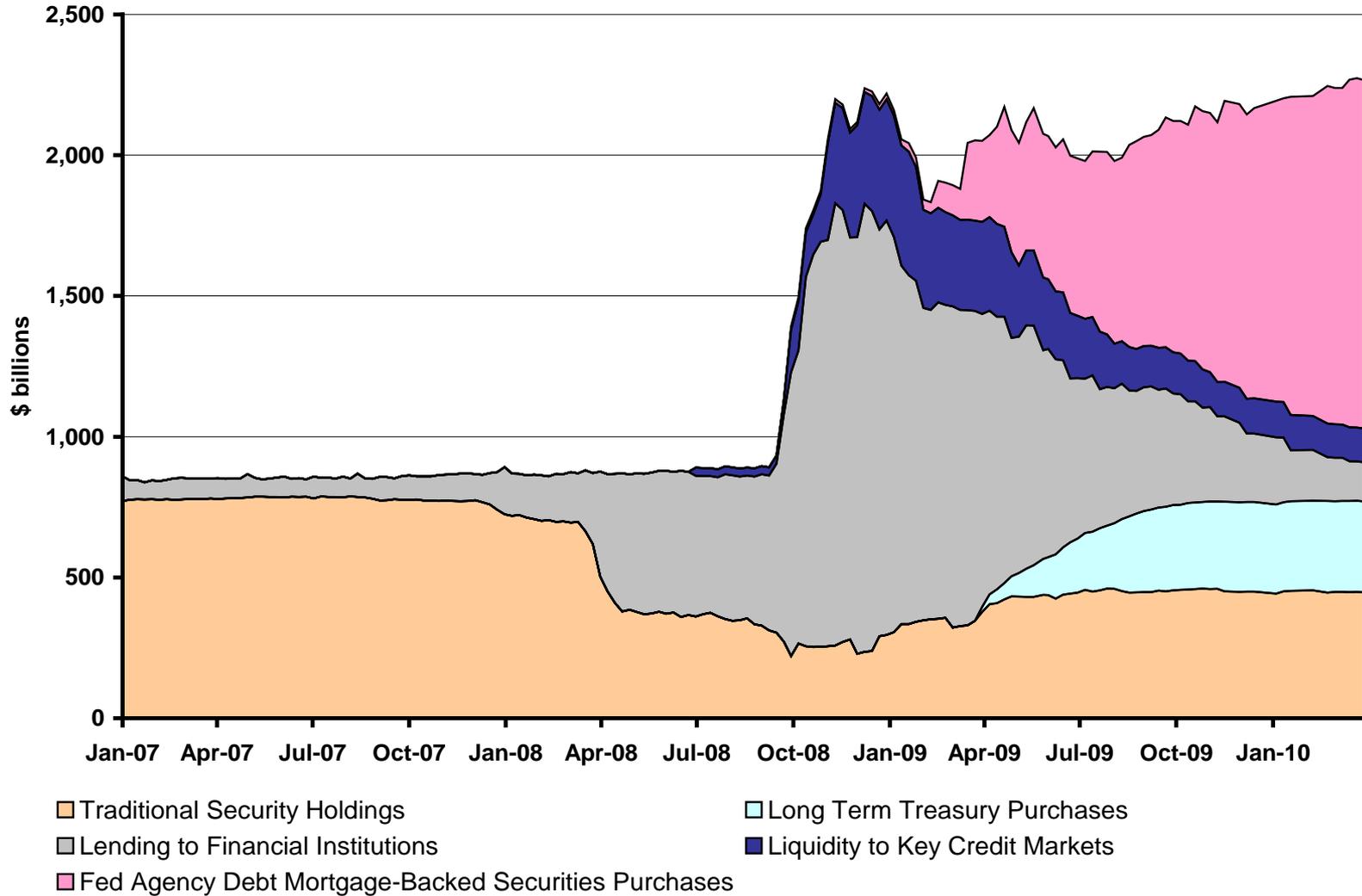
# Questions from the crisis (1)

- Recall the large expansion of central bank balance sheets: from “quantitative easing” once the policy interest rate reached the zero lower bound

# Monetary policy at the zero lower bound in the U.S.

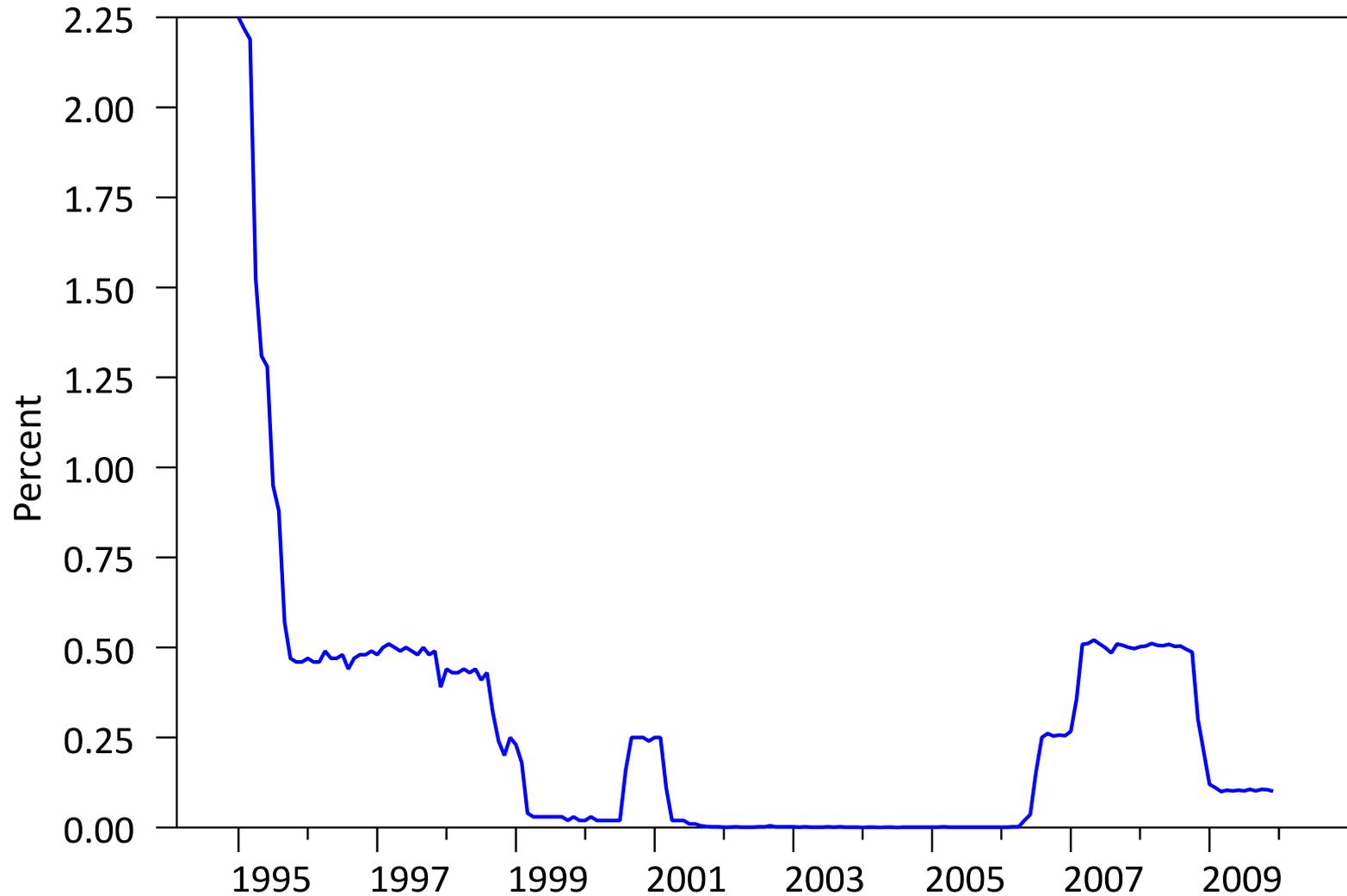


# Federal Reserve Balance Sheet

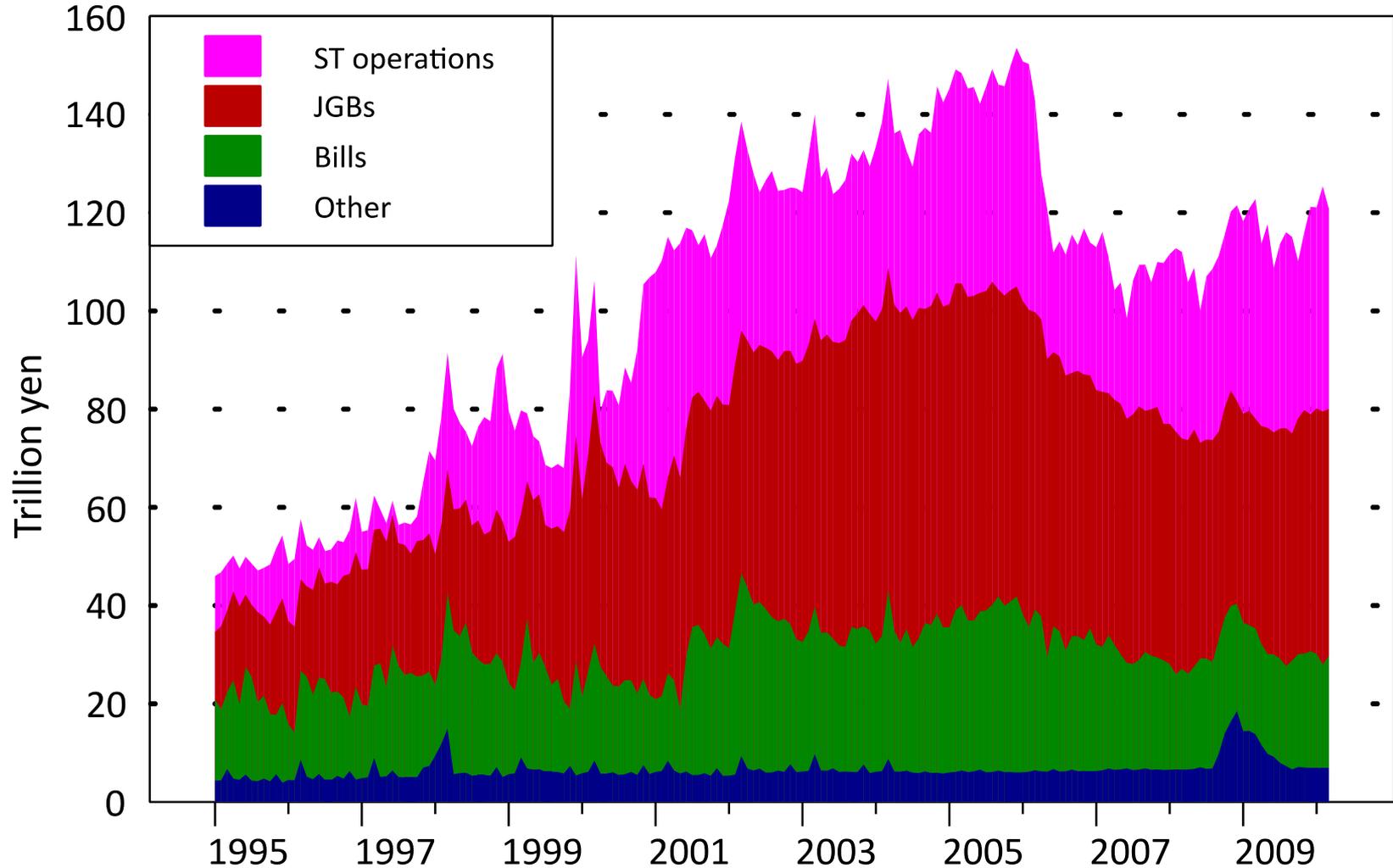


Source: Federal Reserve Bank of Cleveland

# Monetary policy at the zero lower bound in Japan



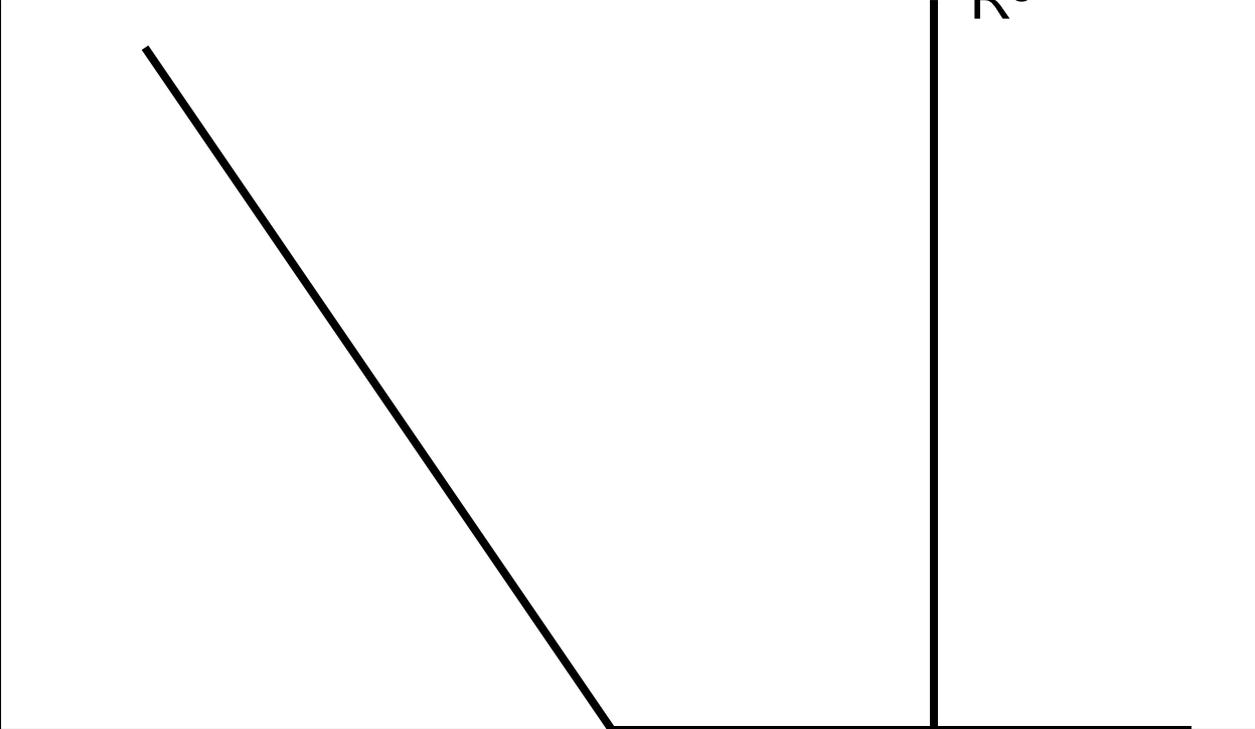
# Bank of Japan balance sheet



# Questions from the crisis (1)

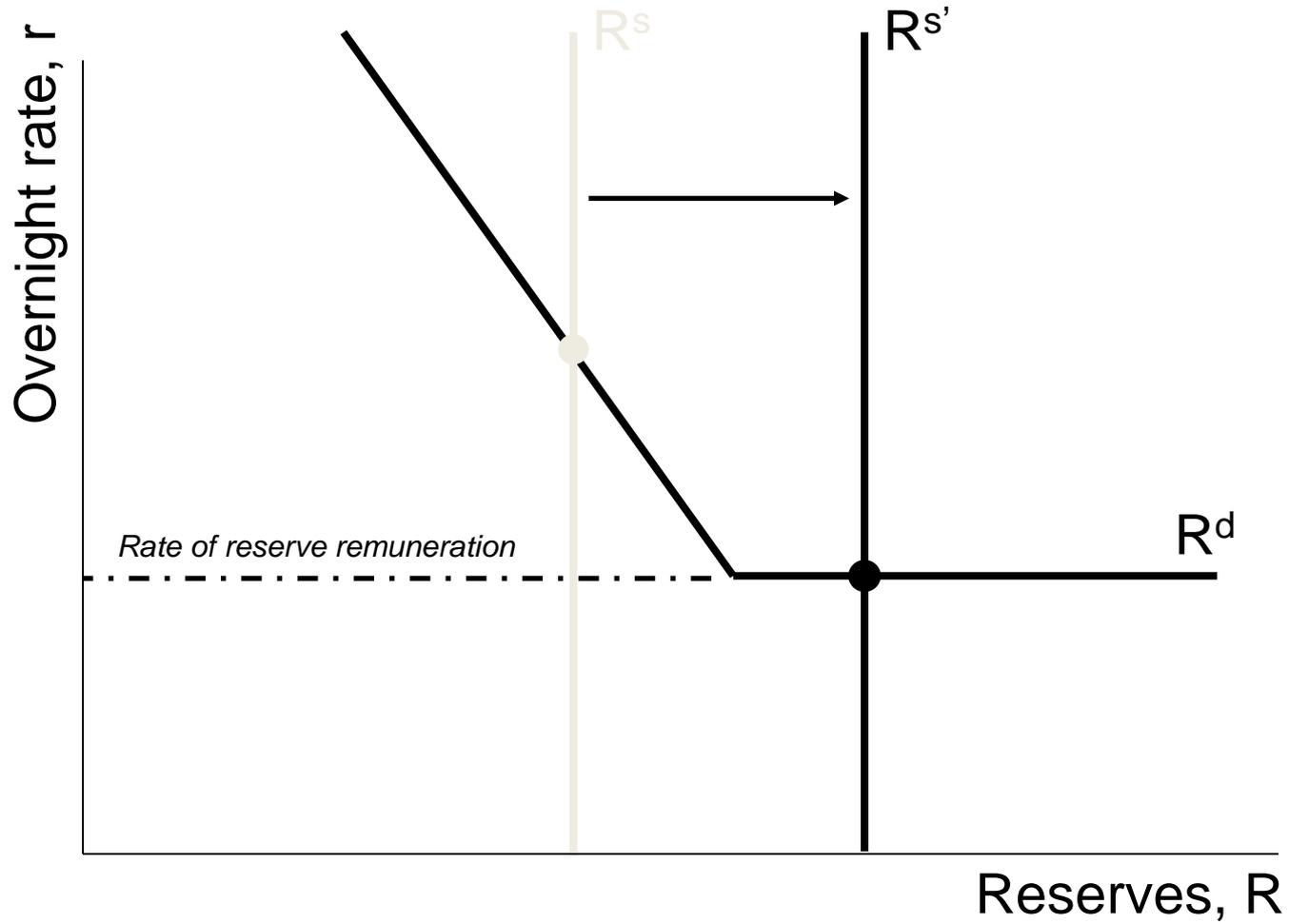
- Recall the large expansion of central bank balance sheets: from “quantitative easing” once the policy interest rate reached the zero lower bound
- Do central banks have to “unwind” these positions before they begin to raise interest rates (whenever the time comes to do that)?
- No!
- Reason: the ability to use the rate paid on excess reserve holdings as a floor under the market rate

Overnight rate,  $r$



$R^s$

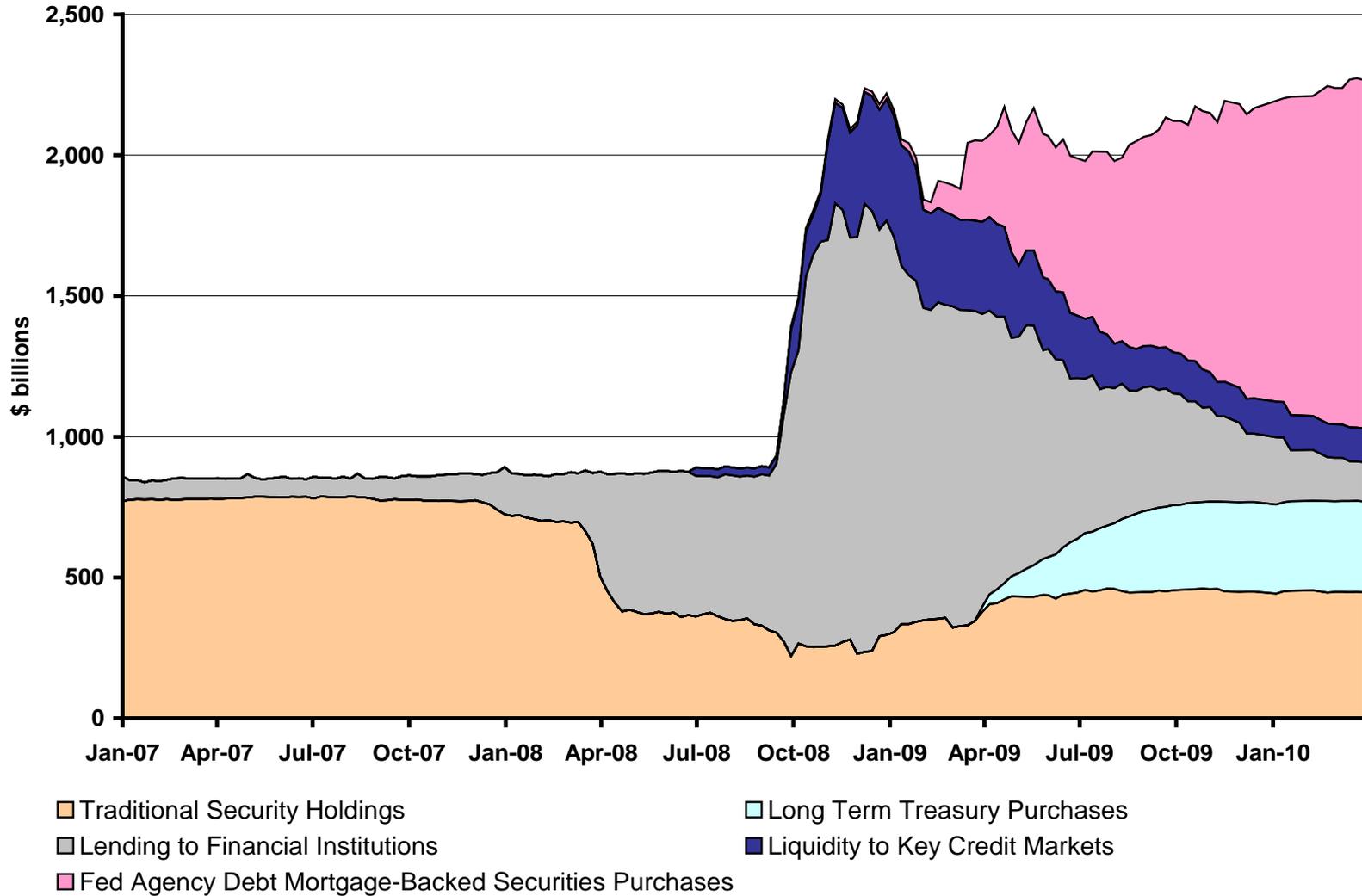
Reserves,  $R$



# Questions from the crisis (2)

- Did quantitative easing work?
- Distinguish two issues:
  - Pure quantity effects (*size* of the central bank's balance sheet)
  - Security selection effects (*composition* of the balance sheet)
- U.S.: substantial evidence of composition effects

# Federal Reserve Balance Sheet



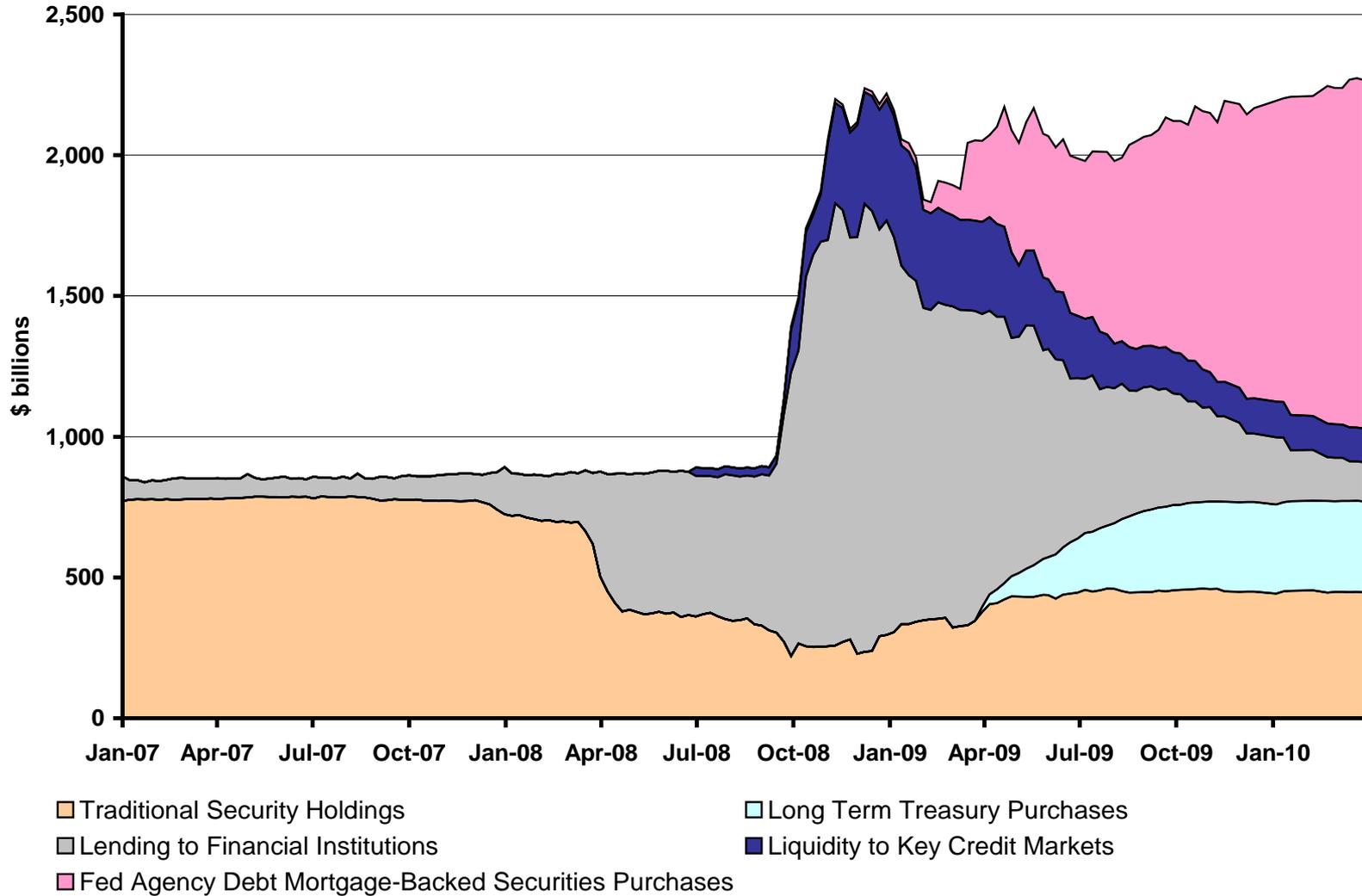
Source: Federal Reserve Bank of Cleveland

# Financial Commercial Paper – OIS Spread



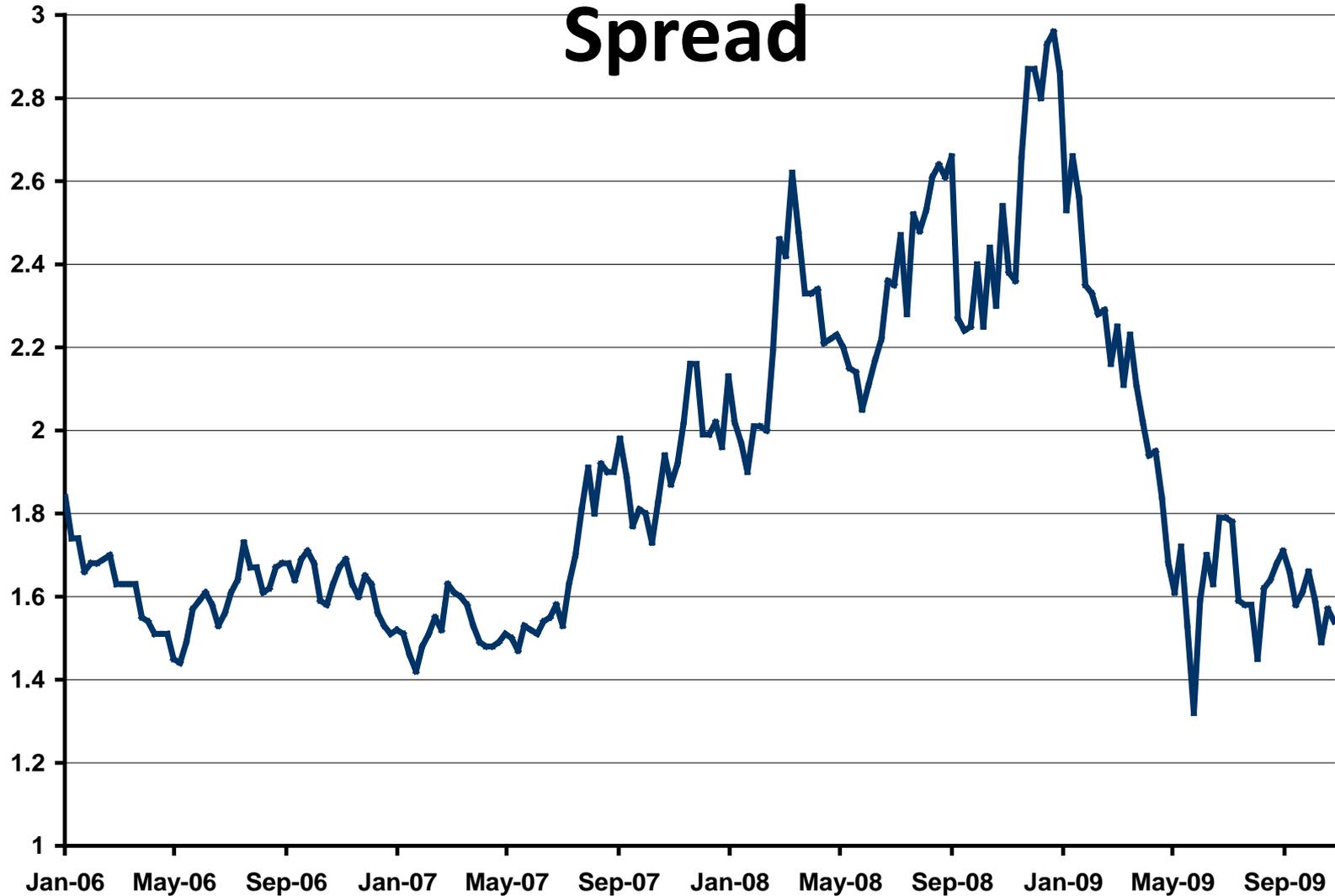
Source: Federal Reserve Statistical Release H.15, Bloomberg Professional

# Federal Reserve Balance Sheet



Source: Federal Reserve Bank of Cleveland

# 30-year Mortgage – 10-year T-Bill Spread



Source: Federal Reserve Board Statistical Release H.15

## Questions from the crisis (2)

- Did quantitative easing work?
- Distinguish two issues:
  - Pure quantity effects (*size* of the central bank's balance sheet)
  - Security selection effects (*composition* of the balance sheet)
- U.S.: substantial evidence of composition effects
- By contrast, little evidence of pure size effects
  - Hence doubts about the effectiveness of the Fed's "QE2"
- Is there comparable evidence for Japan?

# Overall conclusions (1)

- Money & banking and macro textbooks (and our everyday understanding) need some major revisions.
  - Central banks' day-to-day implementation of monetary policy relies on announcements and expectations, not changes in reserves.
  - Over longer horizons, reserve-bearing monetary quantities presumably respond endogenously to interest rate changes.
  - But this requires a broader analysis of the impact of interest rates on deposit and loan markets.

## Overall conclusions (2)

- Central banks' recent “quantitative” actions have further challenged conventional views on the links between prices and quantities.
  - With interest paid on reserves, the interest rate and the quantity of reserves are potentially two independent policy instruments.
  - Hence central banks need not “unwind” their asset purchases in order to raise rates.
  - Whether they should retain their asset positions, when the time comes to raise rates, is a separate question: the potential impact on interest rate *relationships* from asset *composition* effects.

# Overall conclusions (3)

- The most fundamental question
  - The *general interest rate level* affects economic activity; but the central bank can influence that interest rate level without implications from the size of its balance sheet.
  - *Interest rate relationships* also affect economic activity; and the central bank can influence them too without implications from the size of its balance sheet.

## Overall conclusions (3, cont.)

- But does the size of the central bank's balance sheet *per se* matter for economic activity?
- Does it even matter for inflation?
- If not, is that the end of the classical quantity theory?